



# Conical Probe Calibration and Wind Tunnel Data Analysis of the Channeled Centerbody Inlet Experiment



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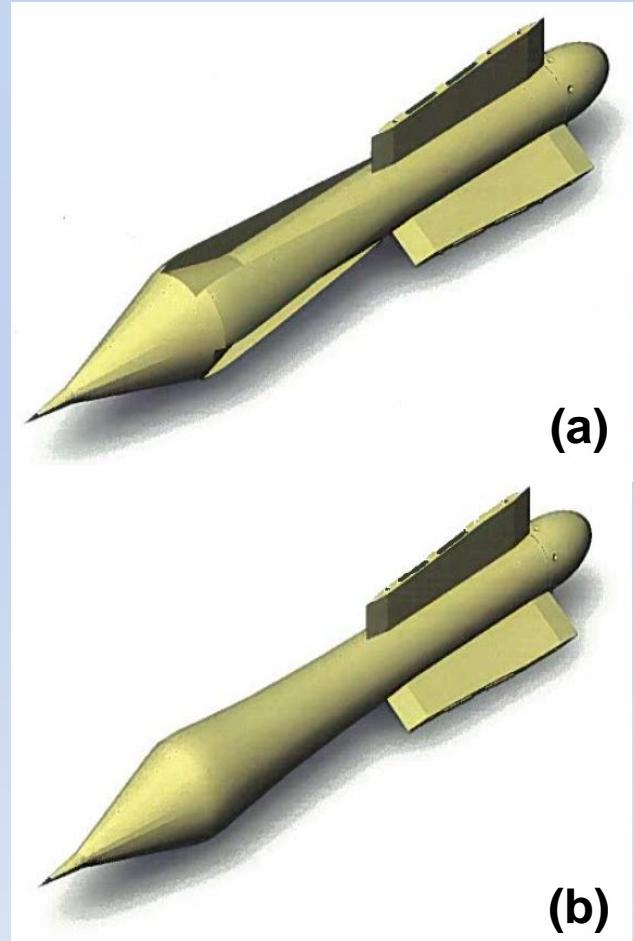
# Overview

- Intro - What is the CCIE and its objectives?
- Project – Conical Probe Calibration
  - What and why a calibration is needed?
  - Calibration Process
  - Uncertainty Analysis
  - Develop the In-Flight RTF Script
- Relation to DFRC Strategic Plan
- Questions

# Channeled Centerbody Inlet Experiment (CCIE)



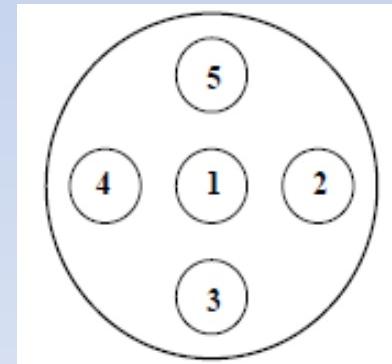
- Bi-conic supersonic inlet integrating a fixed geometry design allowing a larger cross-sectional area for mass flow during optimal off-design Mach conditions
- Concept developed by TechLand Research, Inc. through NASA SBIR contract
- **Research Objectives:**
  - Define the inlet flow (i.e. mass flow, pressure recovery, distortion):
    - **Channeled Centerbody (a)**
    - **Smooth Centerbody (b)**
  - Compare the results to CFD analysis





# The Conical Multi-Hole Probe

- Mounted at front of CCIE
- Consists of 5 pressure ports:
  - 1 total:  $P_1$
  - 4 static:  $P_2, P_3, P_4, P_5$
- Angle of Attack ( $\alpha$ ) measured along vertical axis
- Sideslip angle ( $\beta$ ) measured along horizontal axis
- Probe holder in wind tunnel cannot traverse in horizontal direction. As a result, probe must be rolled in order to gather sideslip data.





# Conical Probe Calibration

- Wind tunnel testing was the preferred method to generate calibration data for the conical multi-hole probe.
- Calibration allows us to use the probe for determination of the flow properties in front of the inlet in real time during flight.
- Local Mach will be used to help guide the pilot to the desired research test points.
- Calibration test points include:
  - Mach 1.2
  - Mach 1.3
  - Mach 1.46
  - Mach 1.69

# Calculate Initial Wind Tunnel Parameters & Plot Misaligned Data



- Calculate following parameters from measured pressures:
  - Average Static Pressure ( $P_a$ )
  - Angle of Attack Pressure Coefficient ( $C_\alpha$ )
  - Sideslip Angle Pressure Coefficient ( $C_\beta$ )
  - Total Pressure Coefficient ( $C_t$ )
  - Static Pressure Coefficient ( $C_s$ )
- Create calibration maps based on these parameters to determine equations to calculate critical in-flight variables.

$$P_a = \frac{1}{4}(P_2 + P_3 + P_4 + P_5)$$

$$C_\alpha = \frac{P_3 - P_5}{P_1 - P_a}$$

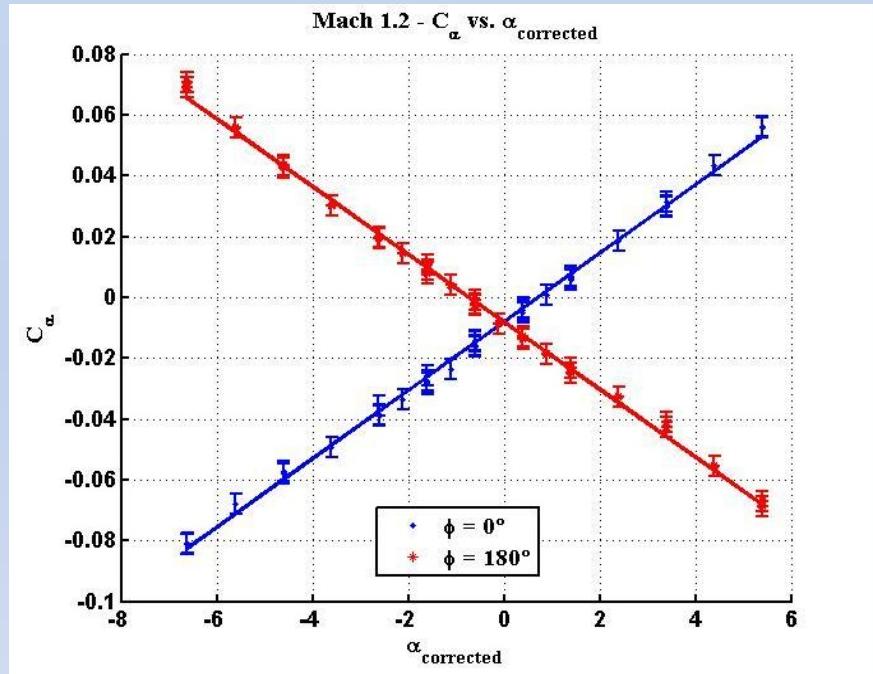
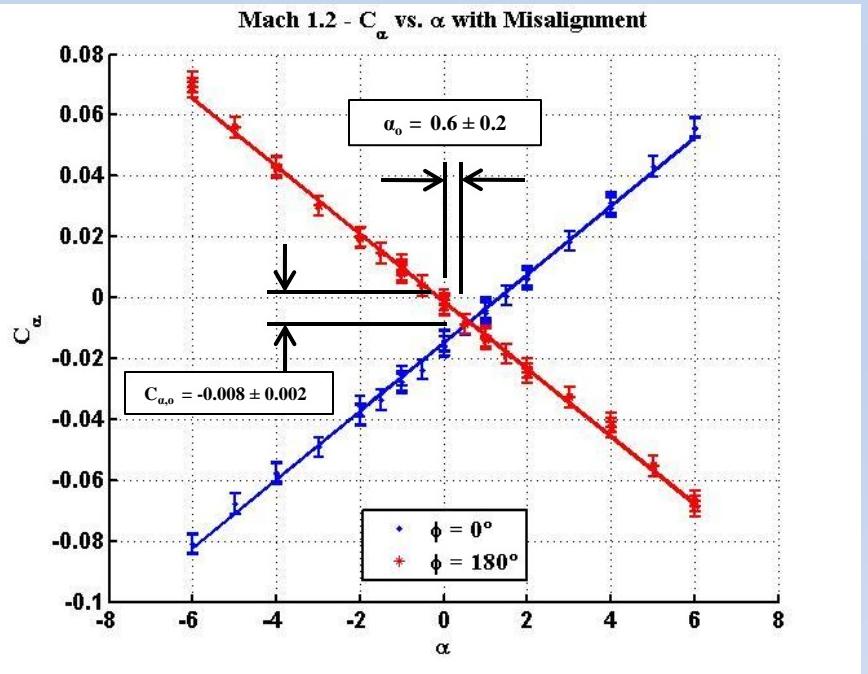
$$C_\beta = \frac{P_4 - P_2}{P_1 - P_a}$$

$$C_t = \frac{P_1 - P_o}{P_1 - P_a}$$

$$C_s = \frac{P_1 - P_s}{P_1 - P_a}$$

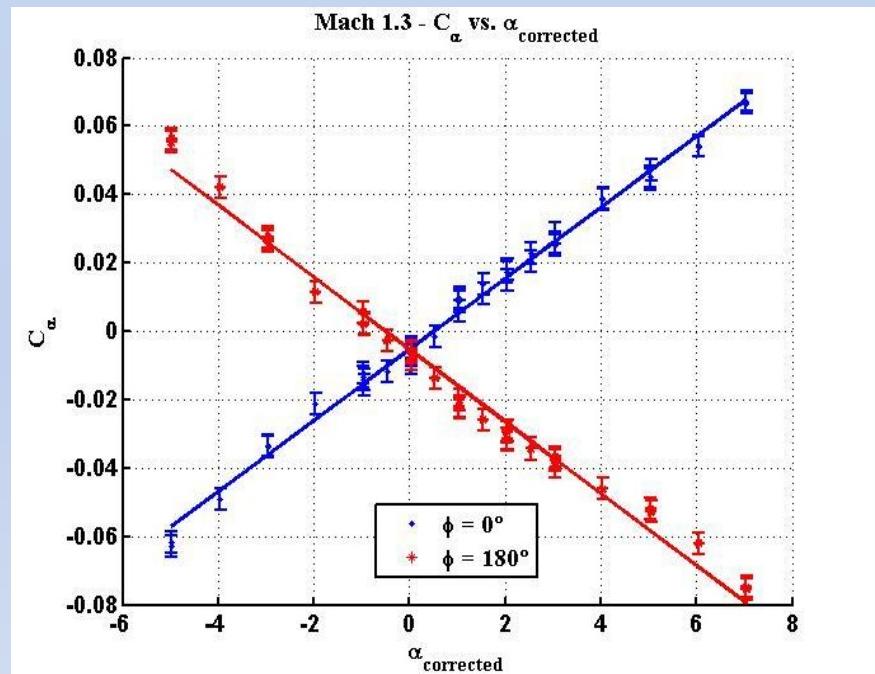
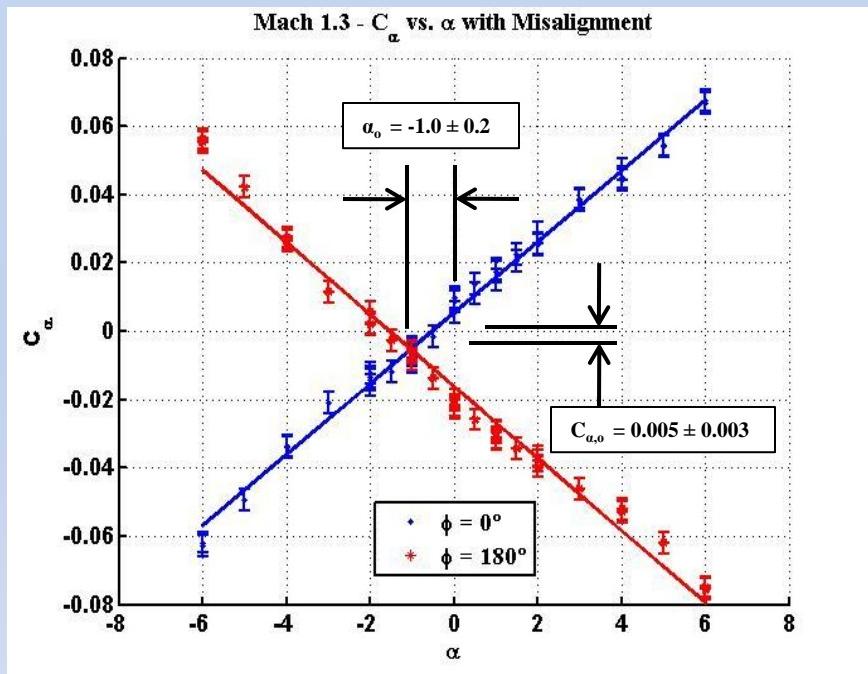


# Mach 1.2 – Angle of Attack Case



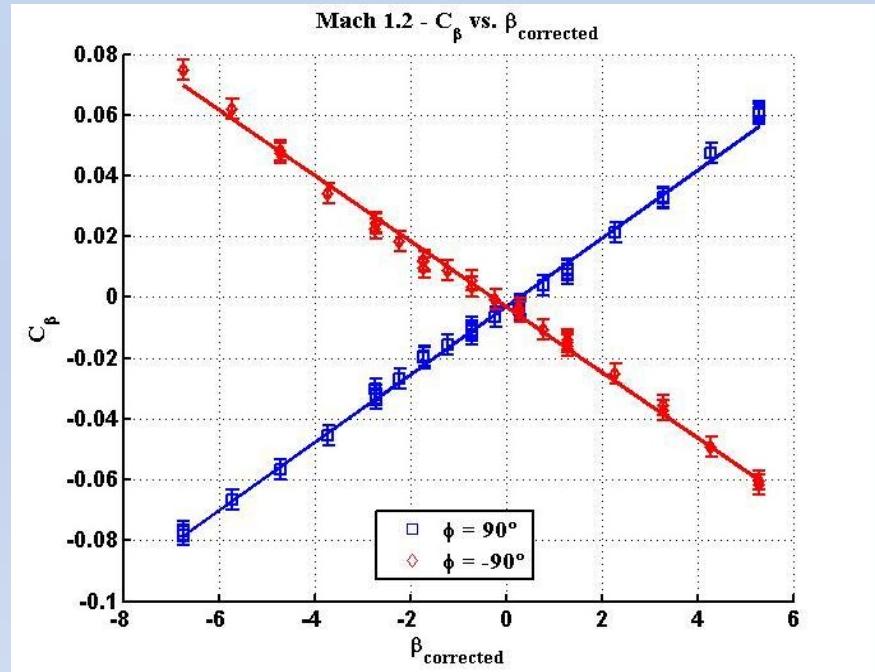
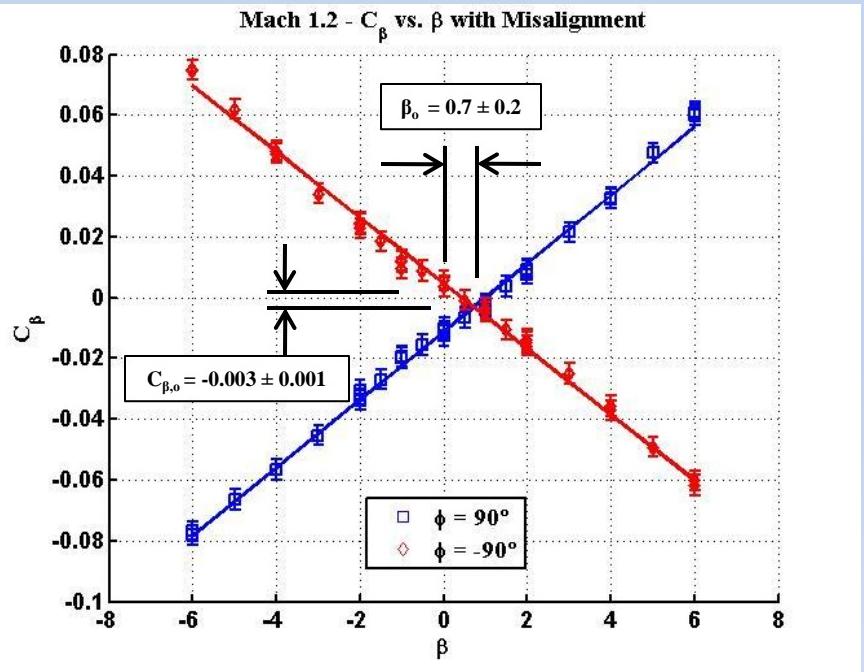


# Mach 1.3 – Angle of Attack Case

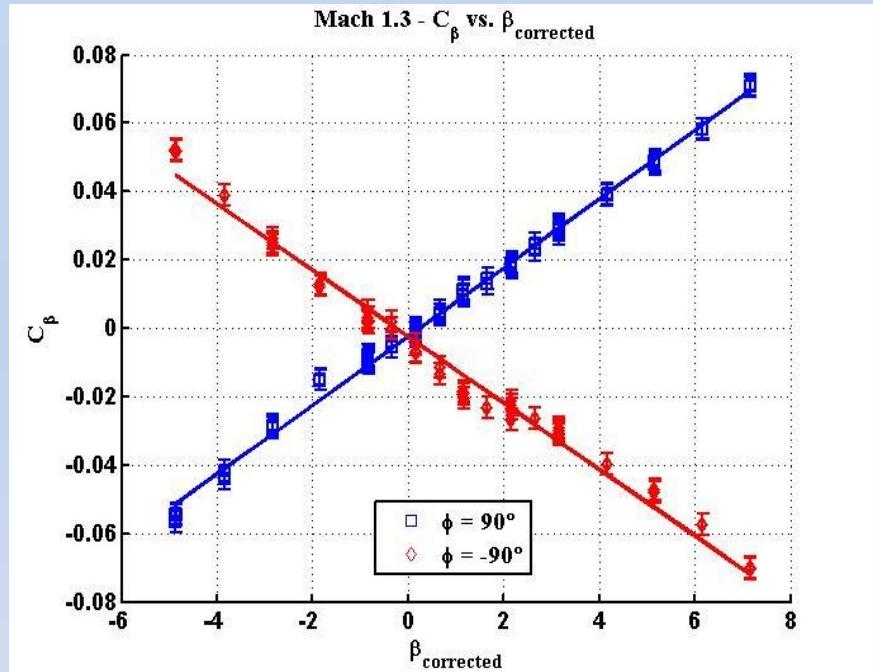
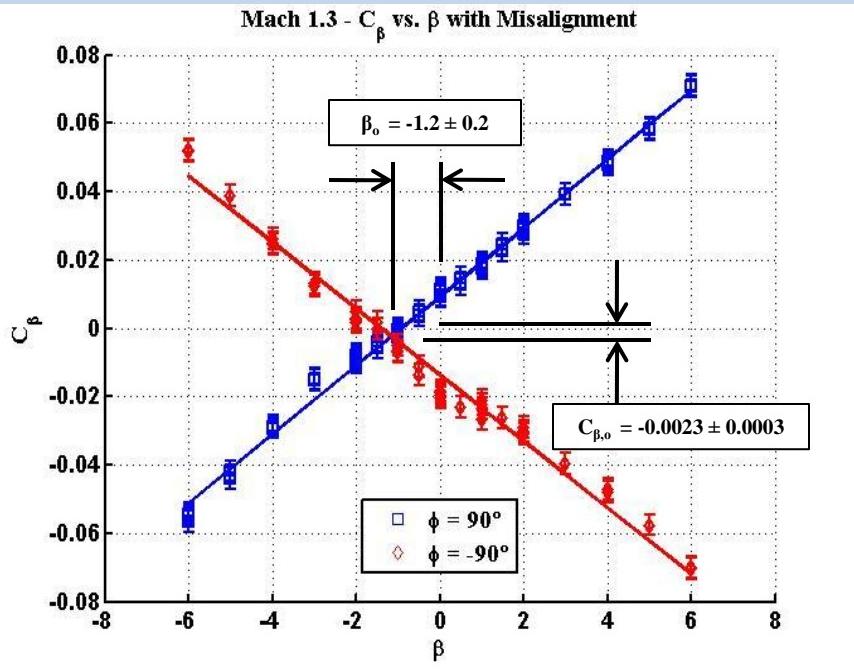
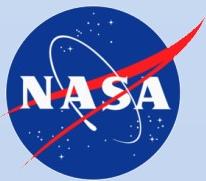




# Mach 1.2 – Sideslip Angle Case



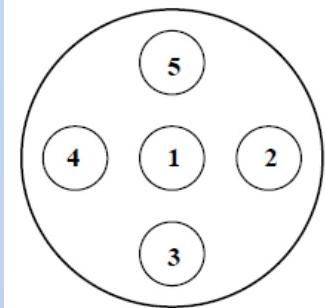
# Mach 1.3 – Sideslip Angle Case



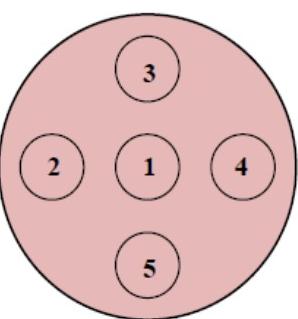


# Probe Orientation Correction

$\alpha_{\text{pitch}}$

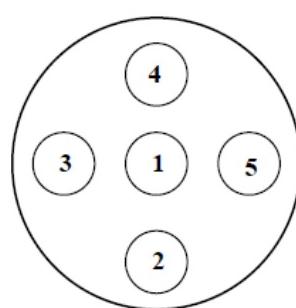


$\varphi = 0^\circ$   
( $\alpha_{\text{pitch}} = \alpha$ )

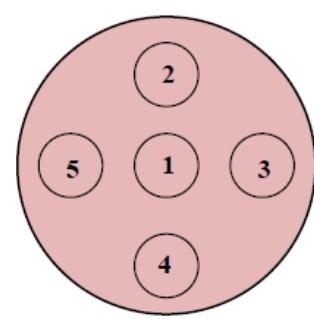


$\varphi = 180^\circ$   
( $\alpha_{\text{pitch}} = -\alpha$ )

$\beta_{\text{pitch}}$



$\varphi = 90^\circ$   
( $\beta_{\text{pitch}} = \beta$ )



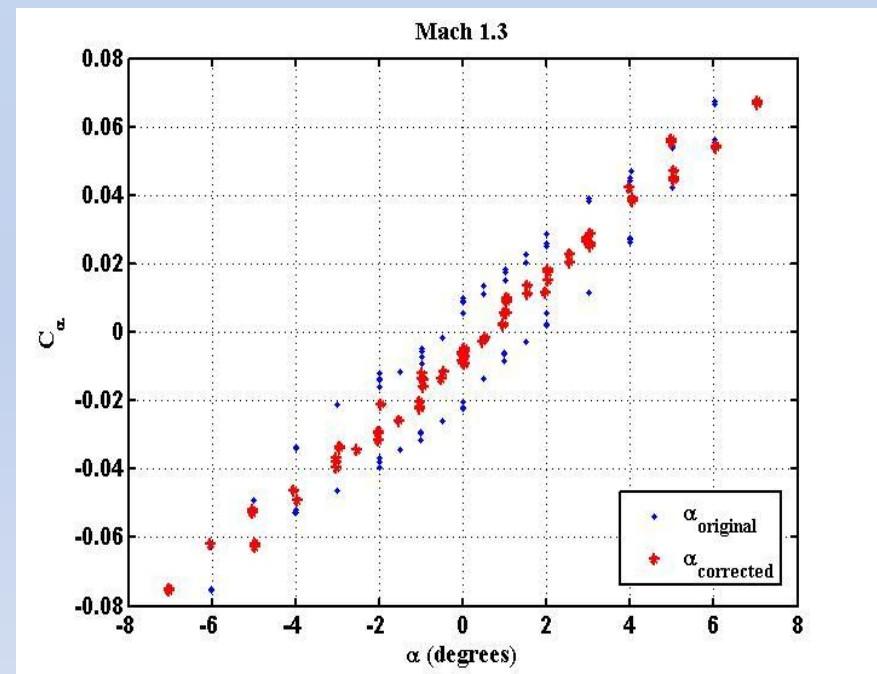
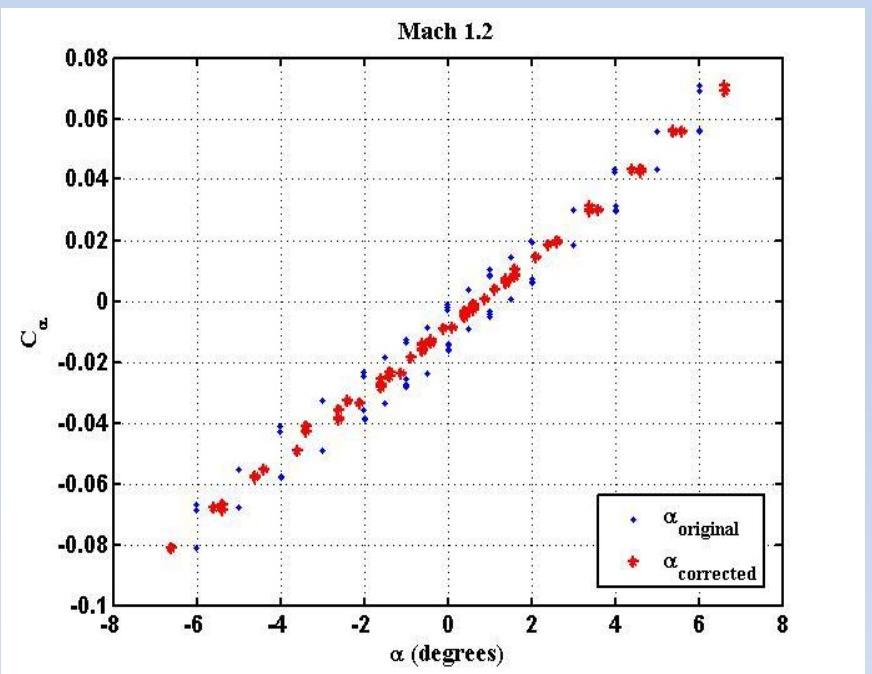
$\varphi = -90^\circ$   
( $\beta_{\text{pitch}} = -\beta$ )

- Roll orientations of  $\varphi = 180^\circ$  &  $\varphi = -90^\circ$  (in red) have static ports switched in vertical and horizontal planes as opposed to  $\varphi = 0^\circ$  &  $\varphi = 90^\circ$ .
- If roll angles were any other, angular transformations would have to be used in order correct the probe orientation.



# Determine $\alpha$ and $\beta$ -Polynomials

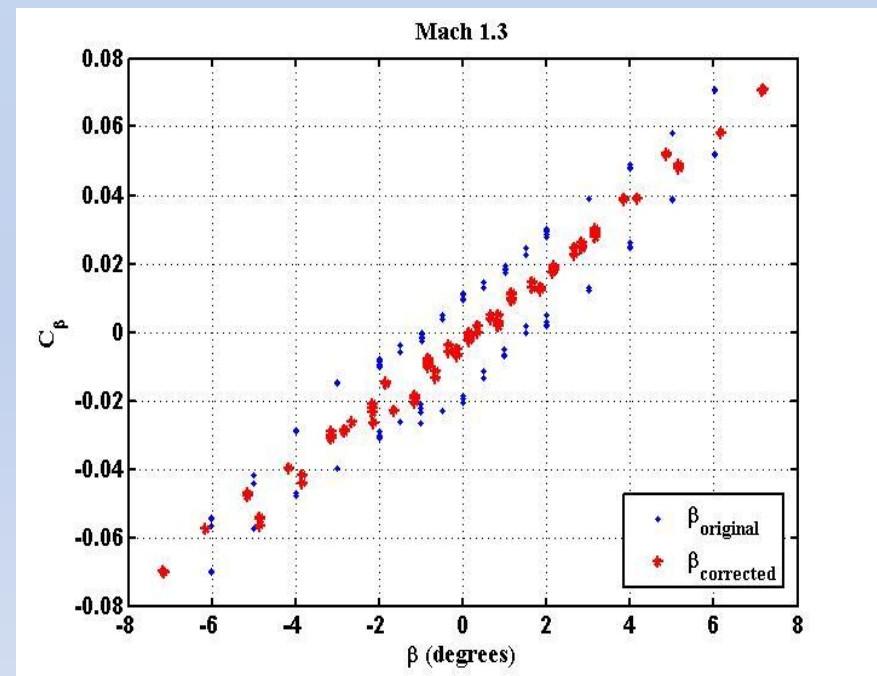
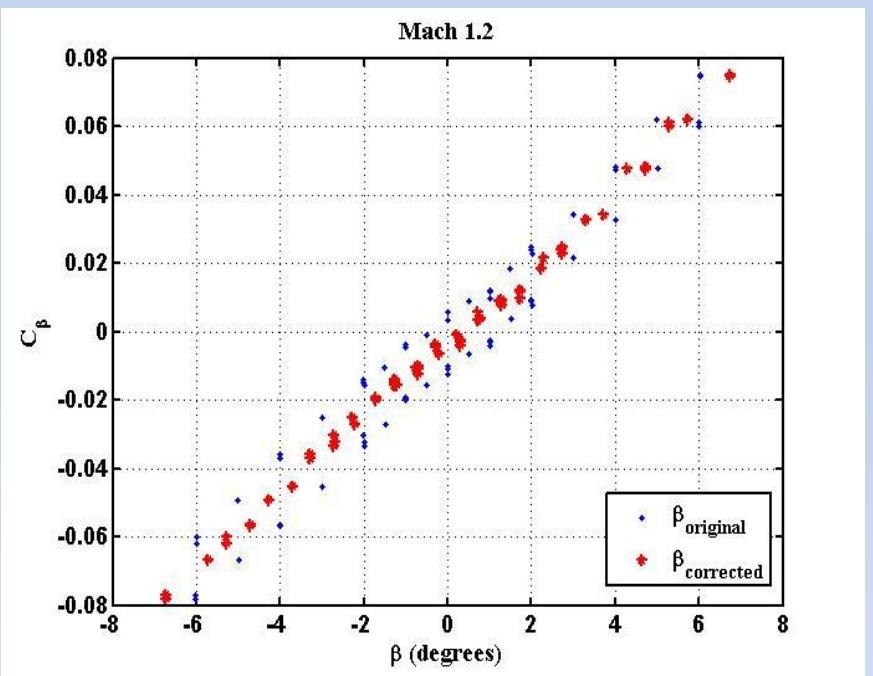
## Angle of Attack ( $\alpha$ )





# Determine $\alpha$ and $\beta$ -Polynomials

## Sideslip Angle ( $\beta$ )



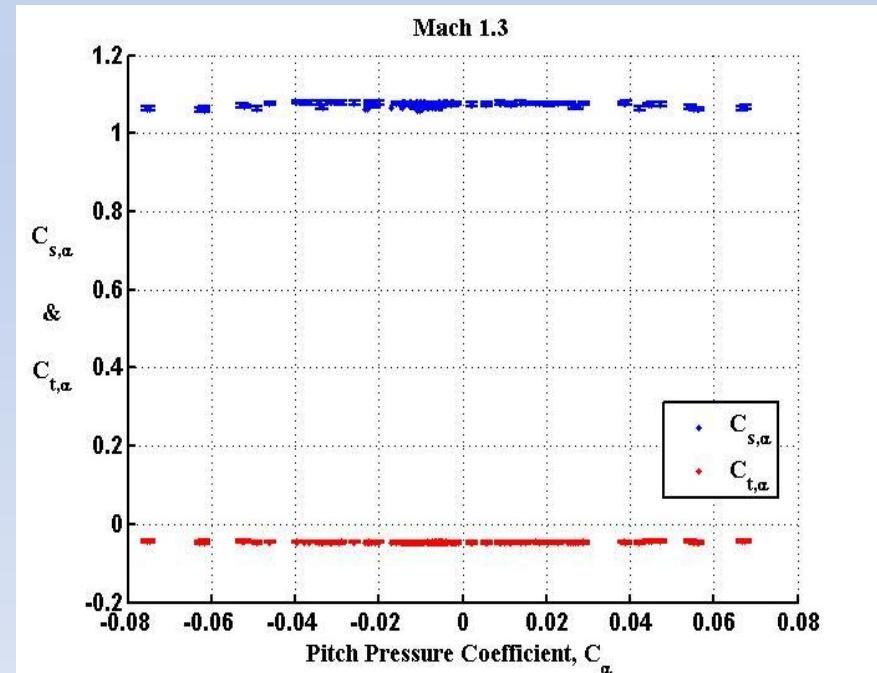
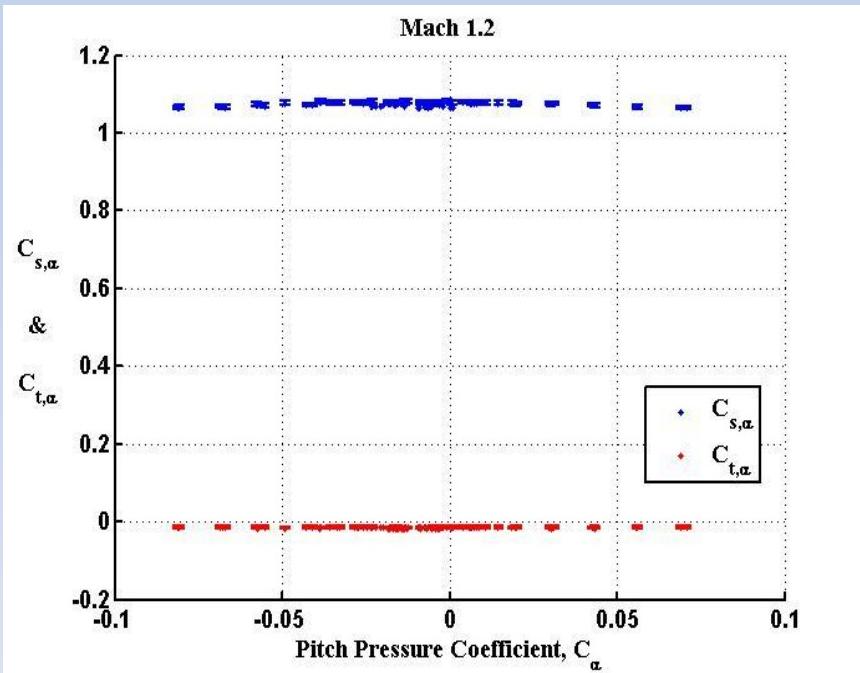


# Verify Total & Static Pressure Coefficient Values

$$C_t = \frac{P_1 - P_o}{P_1 - P_a}$$

$$C_s = \frac{P_1 - P_s}{P_1 - P_a}$$

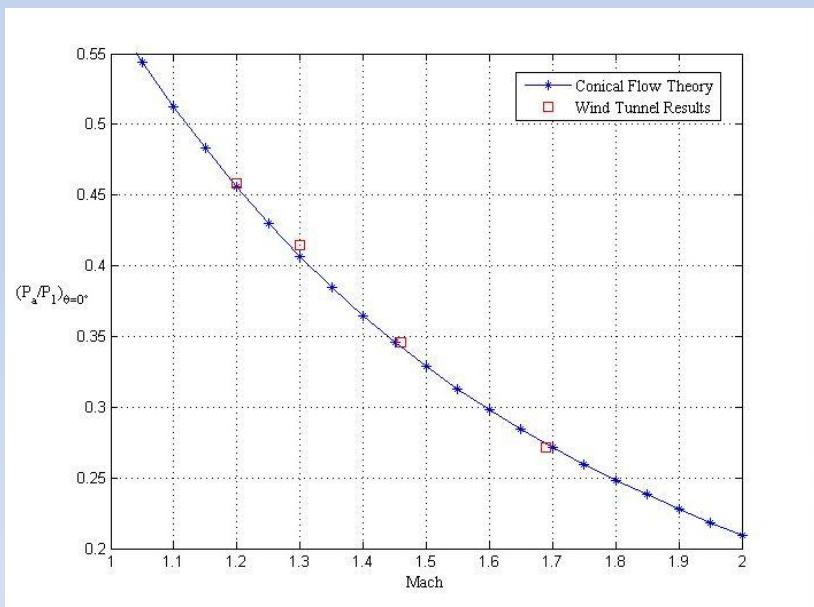
- For subsonic condition,  $P_1 = P_{o,tunnel}$ , but for supersonic,  $P_1 \neq P_{o,tunnel}$
- Must take into account of presence of shocks at the probe.
- Angle of Attack Case Example:





# Static-Pitot Pressure Ratio Comparison, $P_a/P_1$

- Compare values of  $(P_a/P_1)_{\theta=0^\circ}$  for all Mach test conditions to its theoretical counterpart
- Values should descend with increasing supersonic conditions.
- Since wind tunnel results were close to theoretical, the conical flow theory curve will be used to estimate the initial local Mach number.



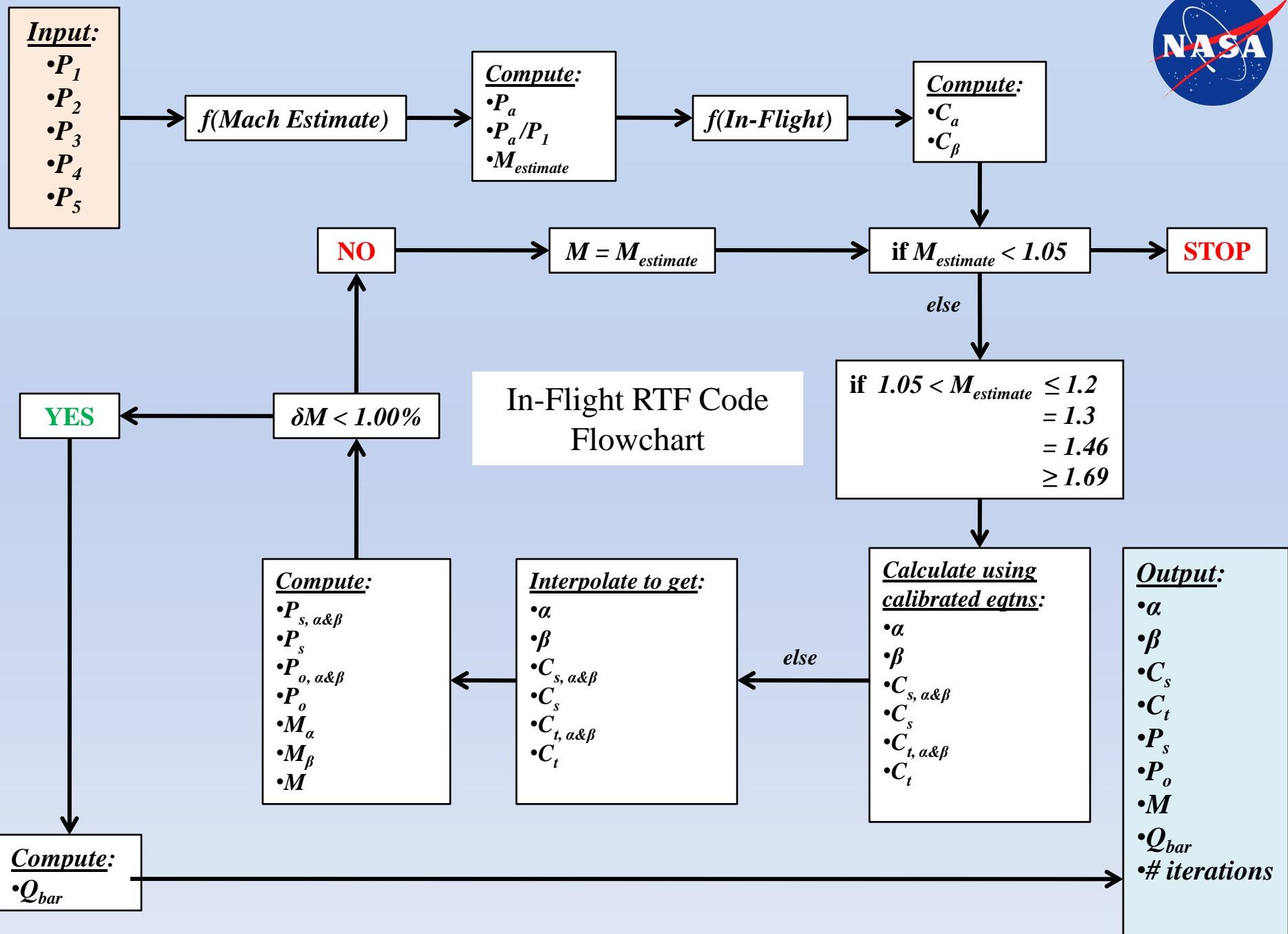
| MACH | Theoretical | Wind Tunnel         | Percentage Difference from Theoretical |
|------|-------------|---------------------|--|
| 1.20 | 0.4550      | $0.4579 \pm 0.0008$ | + 0.6374%                              |
| 1.30 | 0.4067      | $0.4147 \pm 0.0008$ | + 1.9671%                              |
| 1.46 | 0.3423      | $0.3457 \pm 0.0008$ | + 0.9932%                              |
| 1.69 | 0.2739      | $0.2715 \pm 0.0007$ | - 0.8762%                              |



# Uncertainty Analysis

- Three sources of uncertainty were obtained:
  - Marshall Space Flight Center Aerodynamic Research Facility (MSFC/ARF TWT) Mach number measurements
  - Error from Calibration Graphs
    - Derive standard deviation between the error difference from original wind tunnel data and corrected calibrated data
  - Uncertainty due to Error Propagation
    - Initial pressures have a rated error on them
    - Verified with MATLAB and hand calculations

|                              |                 | Mach 1.2 | Mach 1.3 | Mach 1.46 | Mach 1.69 |
|------------------------------|-----------------|----------|----------|-----------|-----------|
| Wind Tunnel                  | $\alpha$        | -        | -        | -         | -         |
|                              | $\beta$         | -        | -        | -         | -         |
|                              | Mach            | 0.0084   | 0.0110   | 0.0090    | 0.0095    |
|                              | $Q_{\bar{b}ar}$ | -        | -        | -         | -         |
| Calibration Graphs           | $\alpha$        | 0.15930  | 0.33860  | 0.23210   | 0.17710   |
|                              | $\beta$         | 0.22770  | 0.28960  | 0.45720   | 0.27320   |
|                              | Mach            | 0.00191  | 0.00388  | 0.00367   | 0.00340   |
|                              | $Q_{\bar{b}ar}$ | -        | -        | -         | -         |
| Error Propagation            | $\alpha$        | 0.29667  | 0.29695  | 0.31282   | 0.24138   |
|                              | $\beta$         | 0.30081  | 0.31404  | 0.32548   | 0.24402   |
|                              | Mach            | 0.00255  | 0.00274  | 0.00319   | 0.00353   |
|                              | $Q_{\bar{b}ar}$ | 0.04778  | 0.05143  | 0.05851   | 0.07131   |
| Combined Uncertainty Results | $\alpha$        | 0.33673  | 0.45036  | 0.38952   | 0.29938   |
|                              | $\beta$         | 0.37727  | 0.42719  | 0.56122   | 0.36631   |
|                              | Mach            | 0.00898  | 0.01198  | 0.01023   | 0.01069   |
|                              | $Q_{\bar{b}ar}$ | 0.04778  | 0.05143  | 0.05851   | 0.07131   |





# Relation to Strategic Plan

- **Goal S.1.1** – “*Improve existing systems and processes for high value to our customers.*”
- **Goal S.2.1** – “*Inform the aerospace and science communities of our skills and abilities.*”
- **Goal S.3.2** – “*Create the necessary approaches to improve and/or expand capacity and capability.*”



# Other Activities

- Data analysis practice with SBLT, LMI, & EAP data
- Mission Control with Aero group during Eagle Aero Probe (EAP) flights
- Lots of technical reading
- Cal Poly Co-op/Senior Project
  - Daily Log
  - Periodic Progress Reports
  - Compiled a technical paper on my CCIE Co-op project to be presented along with this presentation upon return



# Questions?

